

Programming in Haskell

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Lecture 3

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Example: gcd

- Euclid's algorithm for $\text{gcd}(a,b)$, assume $a \geq b$
 - If b is 0 , define the answer to be a
 - Otherwise, $\text{gcd}(a,b) = \text{gcd}(b, \text{mod } a \text{ } b)$

```
gcd :: Int -> Int -> Int
gcd a 0 = a
gcd a b
  | a >= b    = gcd b (mod a b)
  | otherwise = gcd b a
```

Example: Largest divisor

- Find the largest divisor of n , other than n itself
- Strategy: try $n-1$, $n-2$, ... In the worst case, we stop at 1

```
largestdiv :: Int -> Int
largestdiv n = divsearch n (n-1)
```

```
divsearch :: Int -> Int -> Int
divsearch m i
  | (mod m i) == 0 = i
  | otherwise     = divsearch m (i-1)
```

Example: length of an integer

- Length of n is j if
 - Dividing n by 10^{j-1} times gives a number ≥ 1
 - Dividing n by 10^j times takes us below 1

Integer length ...

- `intlength 256 = 3` because $256/10^2 > 1$, $256/10^3 < 1$
- If $n < 10$ then `intlength n = 1`
- ```
intlength :: Int -> Int
intlength n
 | n < 0 = 0
 | n < 10 = 1
 | otherwise = intlength (n `div` 10)
```

# *Example: Reverse digits*

---

- `intreverse 13276` should yield `67231`
- Strategy
  - Split `13276` as `1327` and `6` using `div` and `mod`
  - Recursively reverse `1327` to get `7231`
  - Multiply `6` by suitable power of `10` and add:  
 $60000 + 7231 = 67231$
  - Use `intlength` to determine the power of `10`

# *Reverse digits ...*

---

```
intreverse :: Int -> Int
intreverse n
 | n < 10 = n
 | otherwise = (intreverse (div n 10)) +
 (mod n 10)*
 (power 10 ((intlength n)-1))

power :: Int -> Int -> Int
power m 0 = 1
power m n = m * (power m (n-1))
```

# *Reverse digits ...*

---

```
intRev :: Int -> Int
intRev n = intRev' n 0
```

```
intRev' :: Int -> Int -> Int
intRev' 0 m = m
intRev' n m = intRev' (n `div` 10) (10*m + n `mod` 10)
```