

Unit-6: Model-checking ω -regular properties

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NPTEL-course

July - November 2015

Module 1:

Overview

Does **Transition system** satisfy ω -regular property?

Does **Transition system** satisfy ω -regular property ?

ω -regular expression ϕ

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ω -regular expression ϕ



NBA \mathcal{A}_ϕ

Does **Transition system** satisfy ω -regular property?

\downarrow
NBA $\mathcal{A}_{T.S}$

ω -regular expression ϕ

\downarrow
NBA \mathcal{A}_ϕ

Does **Transition system** satisfy ω -regular property?

\downarrow
NBA $\mathcal{A}_{T.S.}$

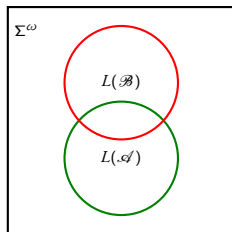
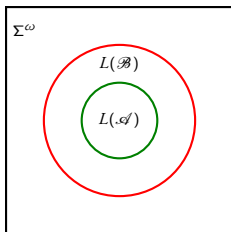
ω -regular expression ϕ

\downarrow
NBA \mathcal{A}_ϕ

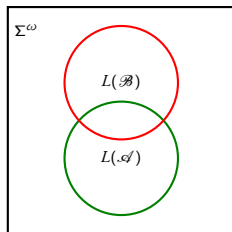
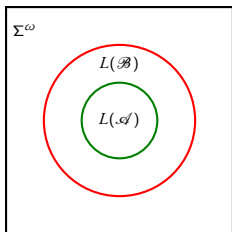
$$L(\mathcal{A}_{T.S.}) \subseteq L(\mathcal{A}_\phi)?$$

$$L(\mathcal{A}) \subseteq L(\mathcal{B})?$$

$$L(\mathcal{A}) \subseteq L(\mathcal{B})?$$



$$L(\mathcal{A}) \subseteq L(\mathcal{B})?$$



$$L(\mathcal{A}) \cap \overline{L(\mathcal{B})} \text{ is empty?}$$

Does **Transition system** satisfy ω -regular property?

↓
NBA $\mathcal{A}_{T.S.}$

ω -regular expression ϕ

↓
NBA \mathcal{A}_ϕ

$$L(\mathcal{A}_{T.S.}) \subseteq L(\mathcal{A}_\phi)?$$

Does **Transition system** satisfy ω -regular property?



NBA $\mathcal{A}_{T.S.}$

ω -regular expression ϕ



NBA \mathcal{A}_ϕ

$$L(\mathcal{A}_{T.S.}) \subseteq L(\mathcal{A}_\phi)?$$

Is $L(\mathcal{A}_{T.S.}) \cap \overline{L(\mathcal{A}_\phi)}$ empty?

Does **Transition system** satisfy ω -regular property?

↓
NBA $\mathcal{A}_{T.S.}$

ω -regular expression ϕ

↓
NBA \mathcal{A}_ϕ

$$L(\mathcal{A}_{T.S.}) \subseteq L(\mathcal{A}_\phi)?$$

Is $L(\mathcal{A}_{T.S.}) \cap \overline{L(\mathcal{A}_\phi)}$ empty?

Is $L(\mathcal{A}_{T.S.}) \cap L(\overline{\mathcal{A}_\phi})$ empty?

Does **Transition system** satisfy ω -regular property?

↓
NBA $\mathcal{A}_{T.S.}$

ω -regular expression ϕ

↓
NBA \mathcal{A}_ϕ

$$L(\mathcal{A}_{T.S.}) \subseteq L(\mathcal{A}_\phi)?$$

Is $L(\mathcal{A}_{T.S.}) \cap \overline{L(\mathcal{A}_\phi)}$ empty?

Is $L(\mathcal{A}_{T.S.}) \cap L(\overline{\mathcal{A}_\phi})$ empty?

Is $L(\mathcal{A}_{T.S.} \times \overline{\mathcal{A}_\phi})$ empty?

To be seen...

- ▶ **Converting ω -regular expression to NBA** (Module 2)
- ▶ **Checking language emptiness of NBA** (Module 3 and 4)